

**6th International Symposium on Space Sailing**

**Constellation Around Small Bodies  
Using Spinning Solar Sails  
Under Simultaneous Orbit-Attitude-Structure Control**

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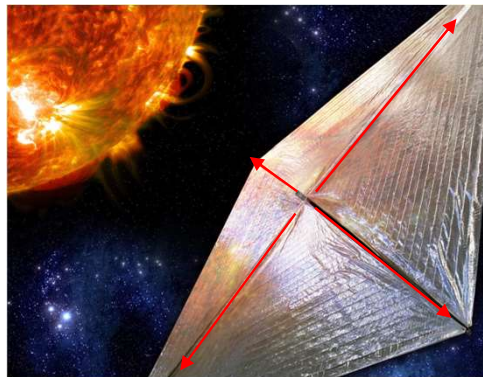
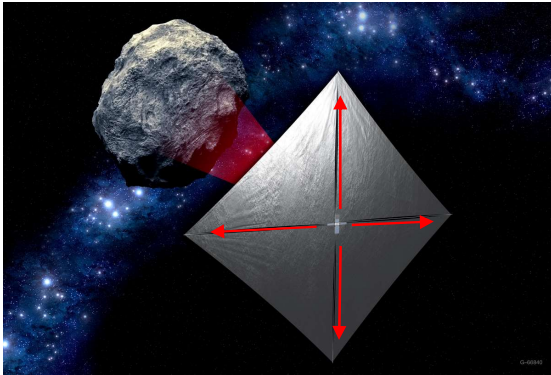
4: The University of Tokyo

## Background

# Two classifications of solar sails

### Boom (mast) deployment

NEA Scout (NASA)

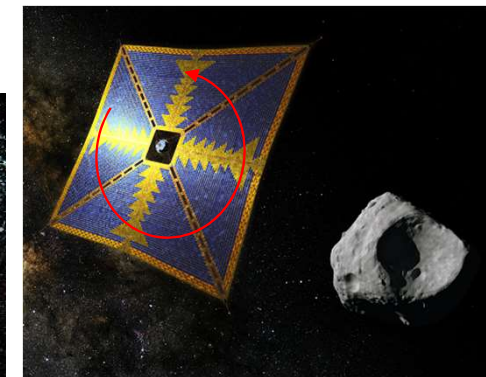
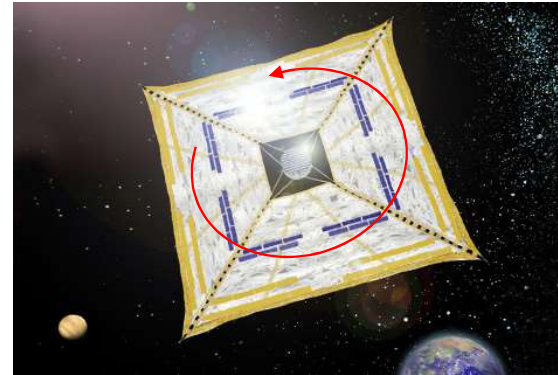


Solar Cruiser (NASA)

- Many solar sails all over the world use this method.
  - **Pros:** Simple storage/deployment mechanism.
  - **Cons:** Long, and hence heavy booms are needed for large solar sails.

### Centrifugal (spin) deployment

IKAROS (JAXA)



OKEANOS (JAXA)

- Japanese original method based on Origami folding.
  - **Pros:** Large solar sails can be deployed without additional (supporting) structure.
  - **Cons:** Complex behavior of deployment.

An issue common to both methods is that the sail membrane is confined within a flat surface.

## Background

# Steering methods for solar sails

- A solar sail is subject to extremely large SRP disturbance as compared to other types of spacecraft.
  - Conventional attitude control using reaction wheels or thrusters is difficult in solar sails.
  - Attitude control of solar sails is often performed by manipulating the offset between the center of mass (c.m.) and center of pressure (c.p.).

### **Billowed wing**

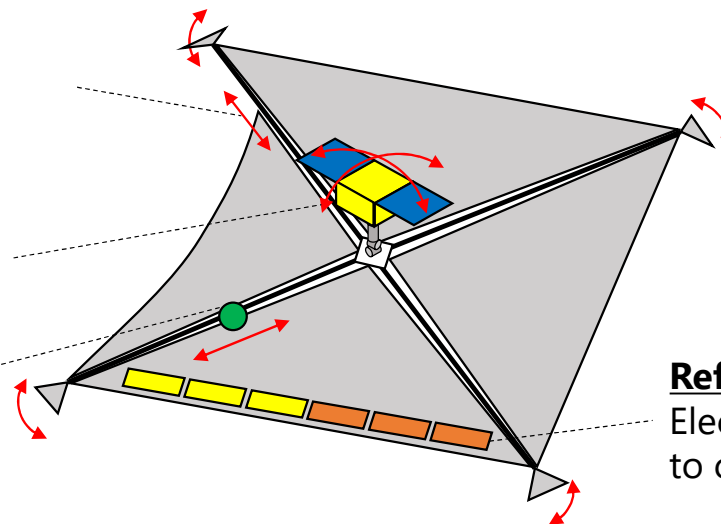
Billow some of the wings along the booms to change the c.p.

### **Gimballed mass**

Swing the spacecraft main body to move the c.m.

### **Moving mass**

Move a small mass along the boom to change the c.m.



### **Control vane**

Move vanes to control the c.p., in a similar manner as rudder and aileron of aircraft.

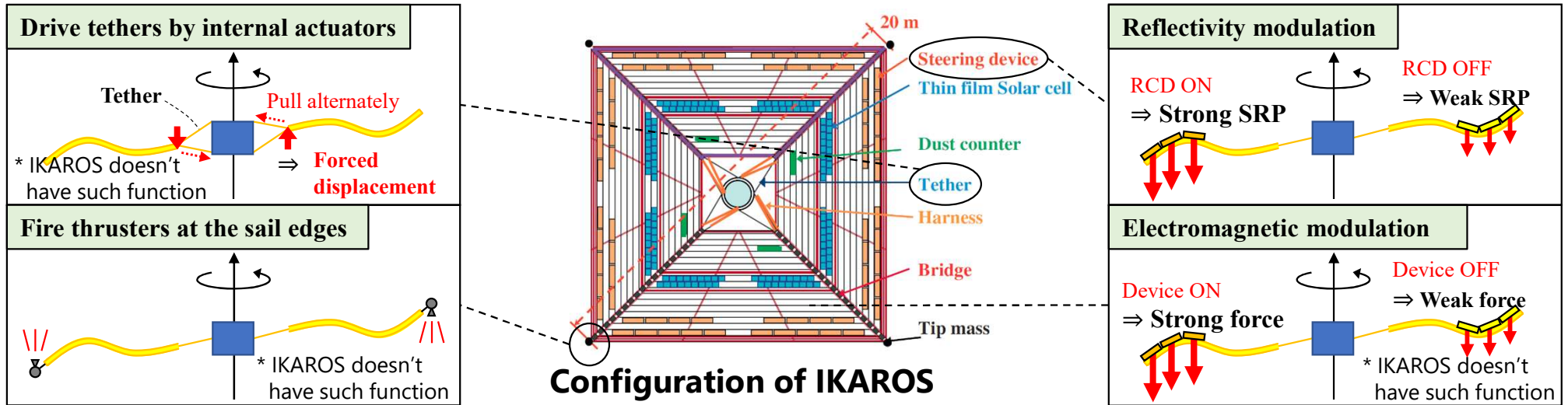
### **Reflectivity modulation**

Electrically change the reflectivity to control the c.p.

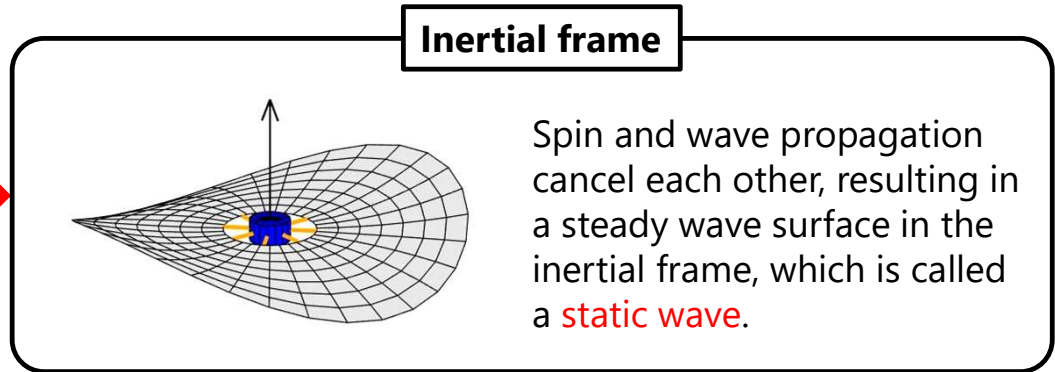
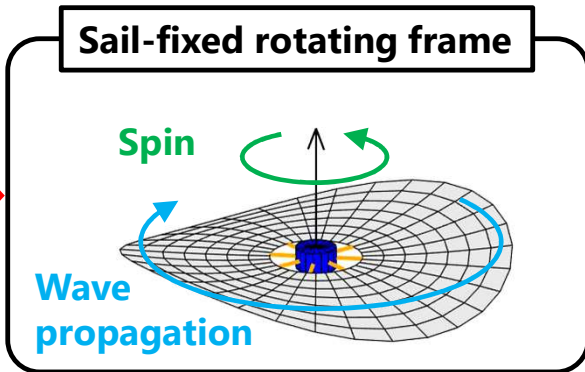
## What about spinning solar sails?

# Active Shape Control of Spinning Solar Sails

We have proposed a new shape control method in which spinning solar sails are mechanically excited.



Excite the spinning sail via some input

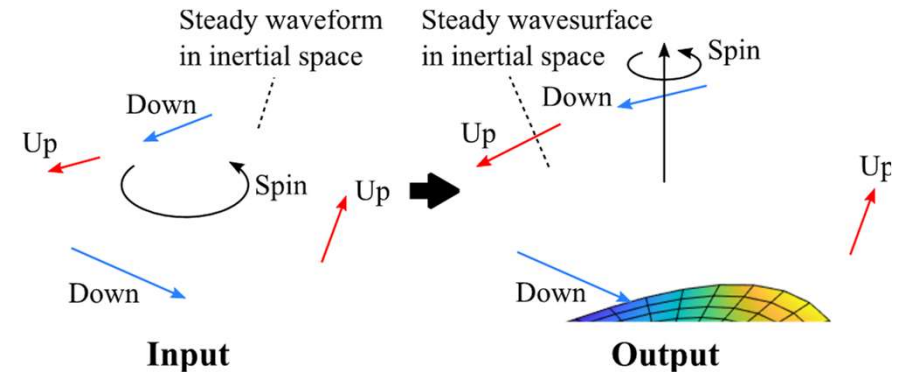


# Active Shape Control of Spinning Solar Sails

## Mechanism of a static wave

### ➤ Qualitative understanding

- Actuators are controlled so that the input waveform is steady in the inertial space.
- The steady waveform is amplified by an amount depending on the frequency response, resulting in a steady wave surface in the inertial frame.



### ➤ Quantitative understanding

- The input waveform can be written as

$$w_0(r_a, \theta, t) = A_0 \cos(m_0\theta + \omega_0t + \alpha_0) + B_0 \cos(m_0\theta - \omega_0t + \beta_0)$$

- The resulting deformation is

$$w(r, \theta, t) = G(r; m_0, \omega_0)w_0$$

$$= \underbrace{G(r; m_0, \omega_0)A_0 \cos(m_0\theta + \omega_0t + \alpha_0)}_{\text{Wave propagating in the opposite direction to spin}} + \underbrace{G(r; m_0, \omega_0)B_0 \cos(m_0\theta - \omega_0t + \beta_0)}_{\text{Wave propagating in the same direction as spin}}$$

Wave propagating in the opposite direction to spin

Wave propagating in the same direction as spin

#### **Necessary condition:**

The wave and spin cancel each other.

→ Wave propagation speed =  $\omega_0/m_0 = \Omega$

#### **Necessary condition:**

The wave propagating in the spin direction

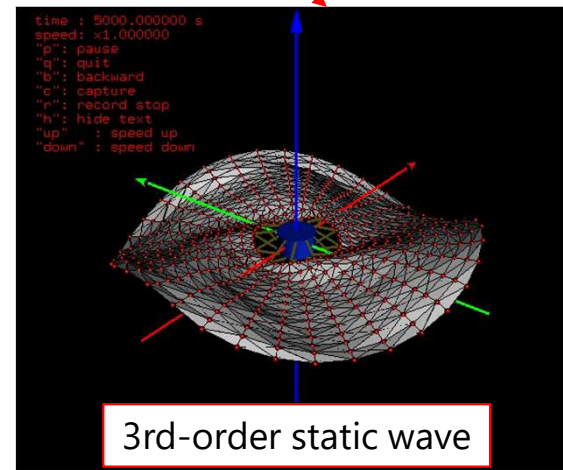
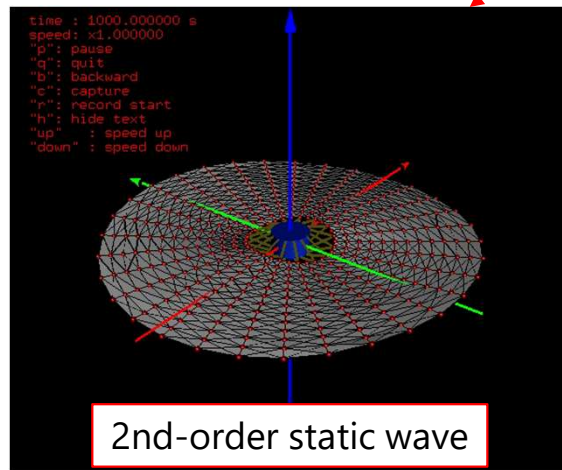
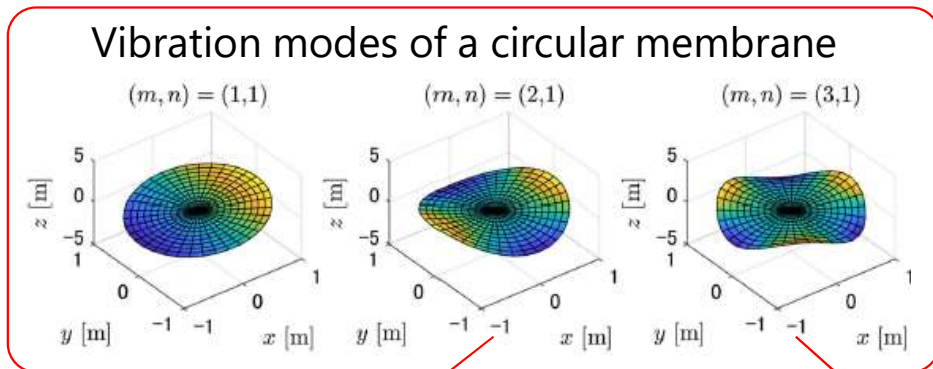
shouldn't exist. →  $B_0 = 0$

**Necessary input:**  $w_0(r_a, \theta, t) = A_0 \cos\{m_0(\theta + \Omega t) + \alpha_0\}$

# Active Shape Control of Spinning Solar Sails

## Various shapes of static waves

Input wave:  $w_0(r_a, \theta, t) = \underbrace{A_0}_{\text{Amplitude}} \cos\{\underbrace{m_0}_{\text{Order of wave}}(\theta + \Omega t) + \underbrace{\alpha_0}_{\text{Phase}}\}$

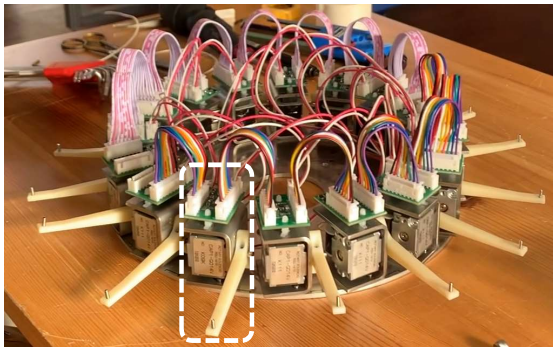


- The shape of the excited wave surface depends on the order (number) of waves.
  - Various shapes can be excited by changing the wavenumbers.
  - The solar sail can maneuver to different shapes actively by switching the wavenumbers.
- The amplitude and phase of the excited wave can also be controlled through  $A_0$  and  $\alpha_0$ .

**Continuous shape of the solar sail can be controlled actively.**

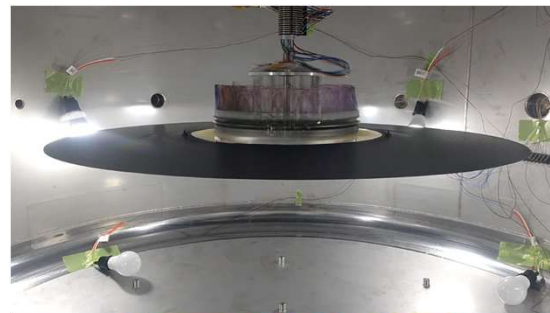
# Active Shape Control of Spinning Solar Sails Ground experiment

Excitation device using electromagnetic actuators

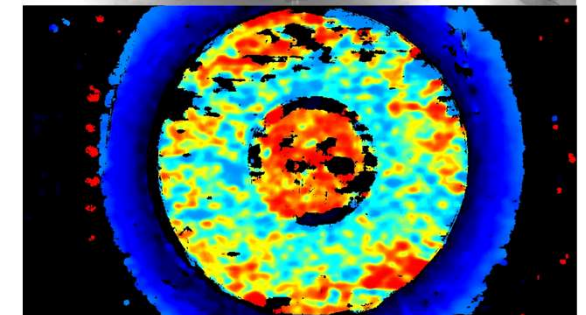
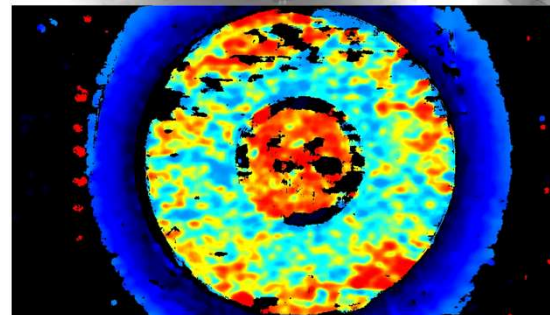
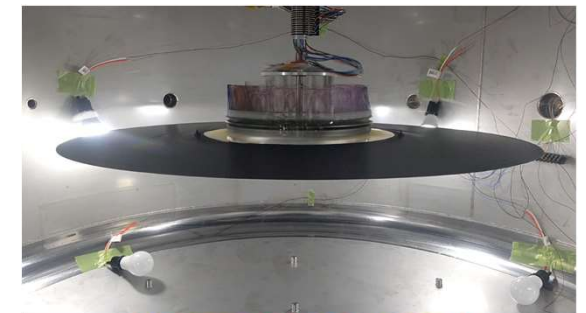


The proposed method was demonstrated through a ground experiment conducted in a 1-m-class vacuum chamber.

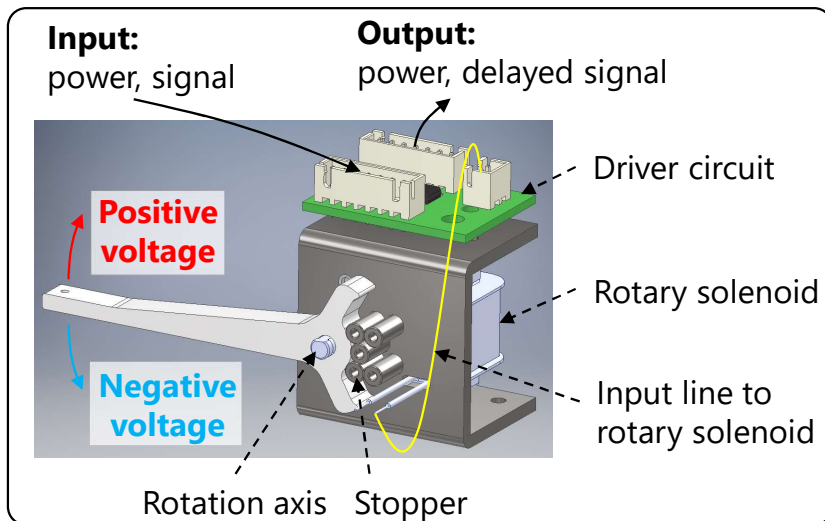
1st-order static wave



2nd-order static wave

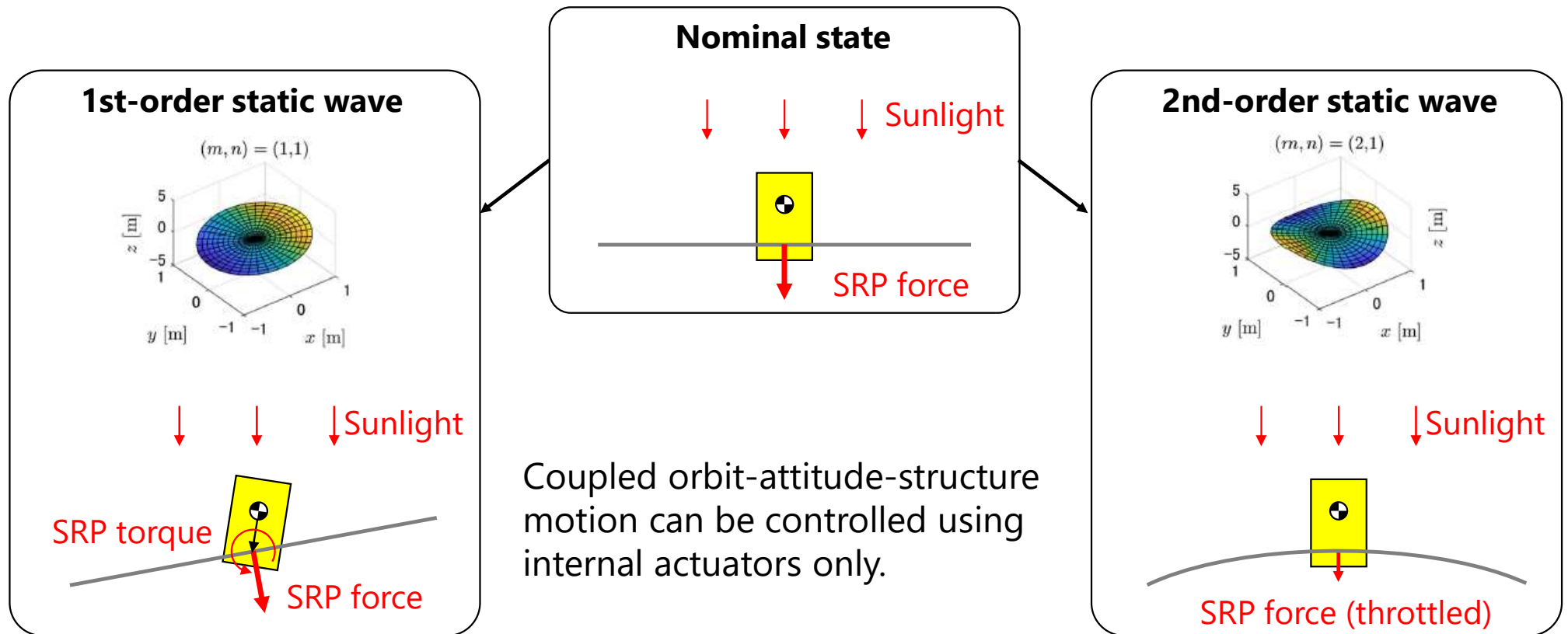


Real-time 3D measurement using a depth camera



# Application to Solar Sailing

- Active shape control makes it possible to manipulate **thrust** and **torque** due to SRP for simultaneous orbit-attitude control.





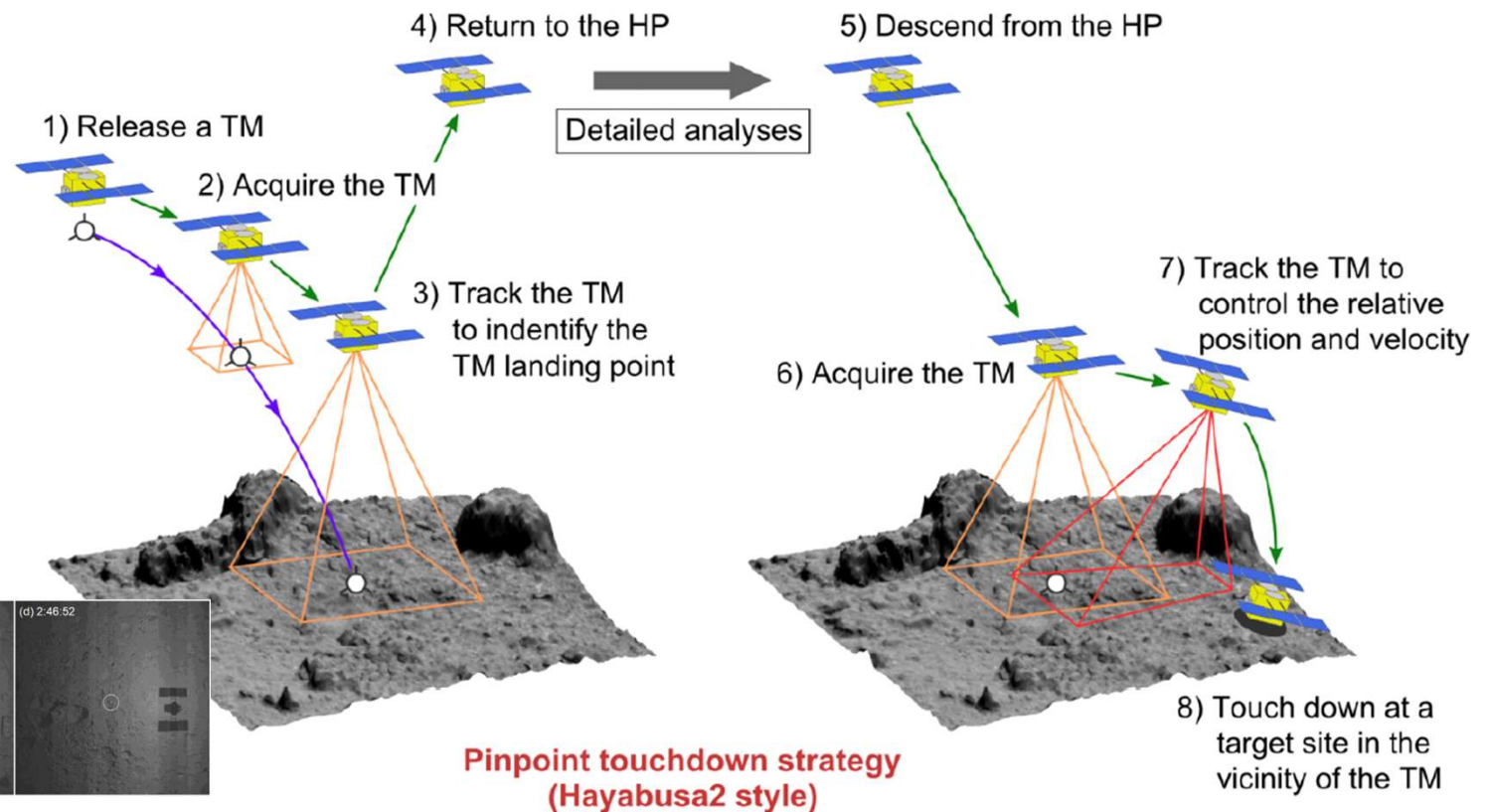
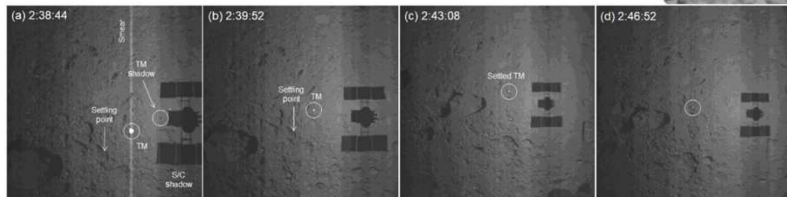
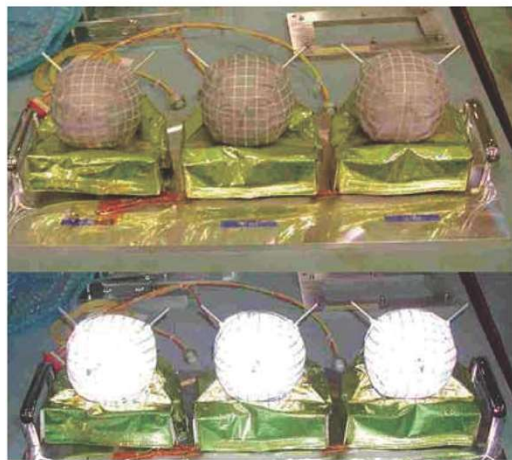
# Hayabusa2 – The Asteroid Sample Return Mission



- ✓ Successfully returned samples from the asteroid Ryugu back to Earth in Dec. 2020.
- ✓ Performed two touchdowns on Ryugu, and achieved **the landing accuracy of 60 cm**.
- ✓ Some **deployable payloads** were used to enrich the exploration of the asteroid.

# Hayabusa2 – The Asteroid Sample Return Mission

- In the Hayabusa2 mission, an artificial marker called target marker played a critical role in the precision landings.

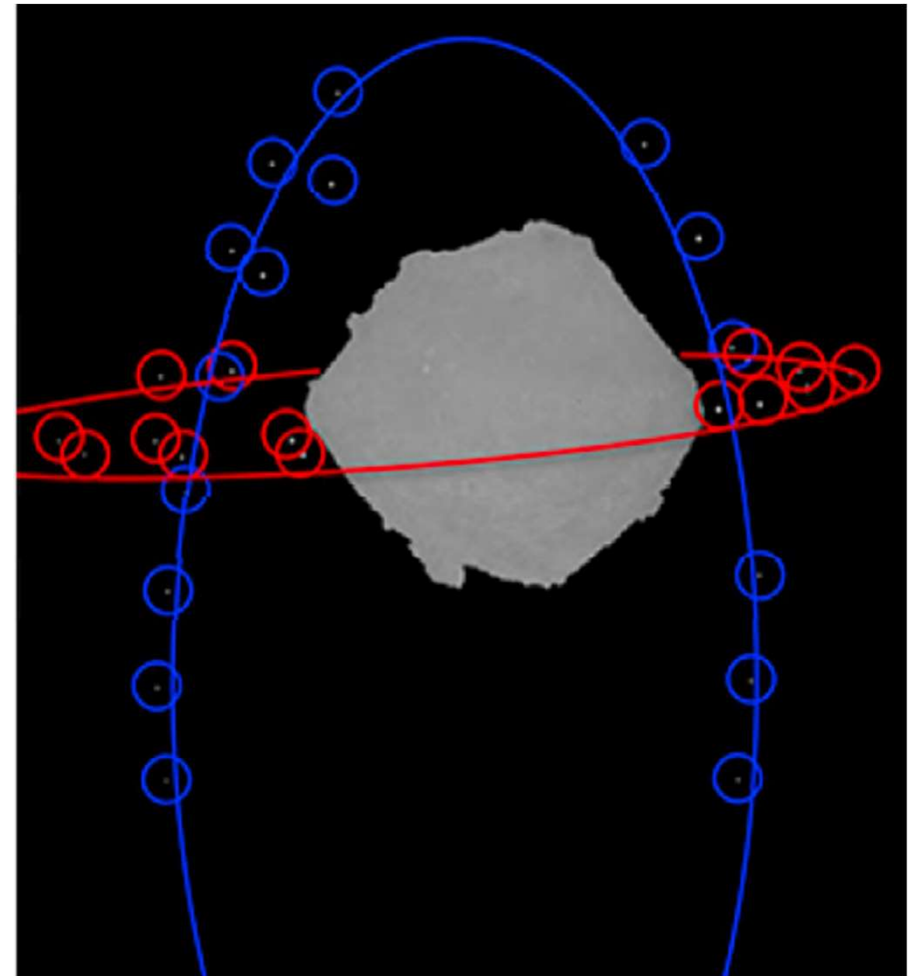


# Hayabusa2 – The Asteroid Sample Return Mission



## Hayabusa2 – The Asteroid Sample Return Mission

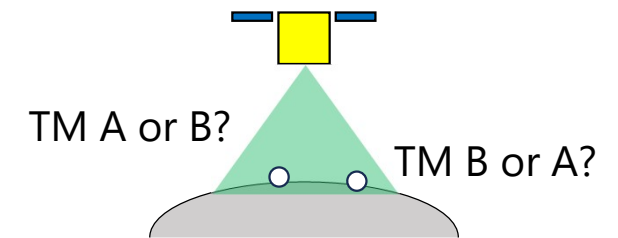
- Hayabusa2 used a hovering method in its proximity operations.
- An orbiting operation was also planned as an option, though it was not realized unfortunately.
- Instead, Hayabusa2 performed an orbiting experiment of deployable payloads including one of remaining target markers, and realized the world's first artificial satellite around a small body.



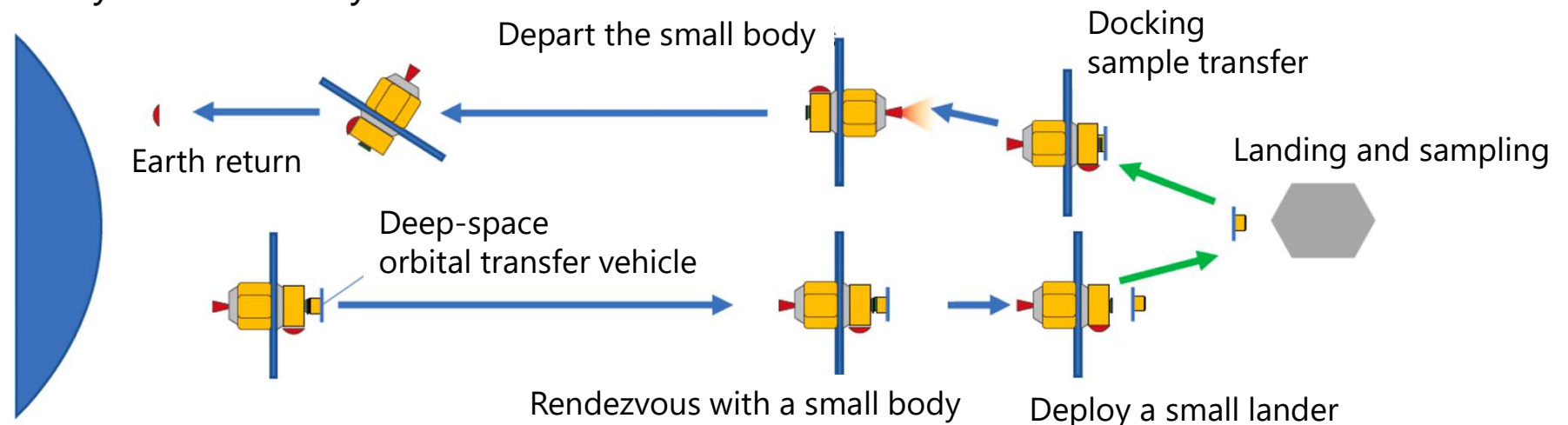
# Next-Generation Small-Body Sample Return Mission

## Challenges of Hayabusa2

- ✓ Risk of performing multiple landings by a single spacecraft.
- ✓ Difficulty in detecting target markers from a distant position.
- ✓ Difficulty in identifying multiple target markers.



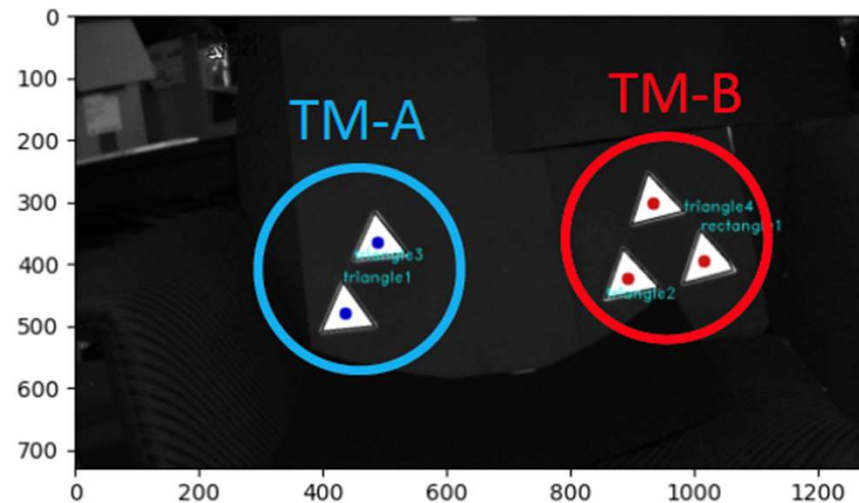
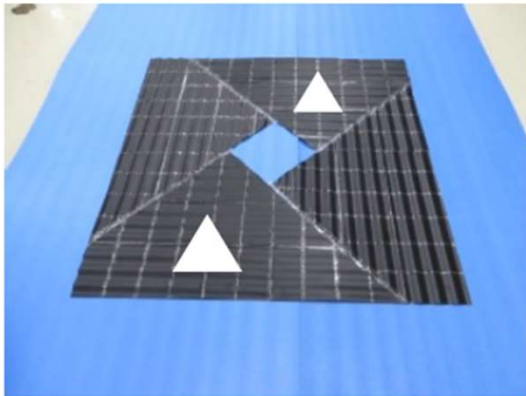
Based on these lessons, we have started the next-generation small-body sample return mission study in this a few years.



# Next-Generation Small-Body Sample Return Mission

## ➤ Deployable target marker (DTM)

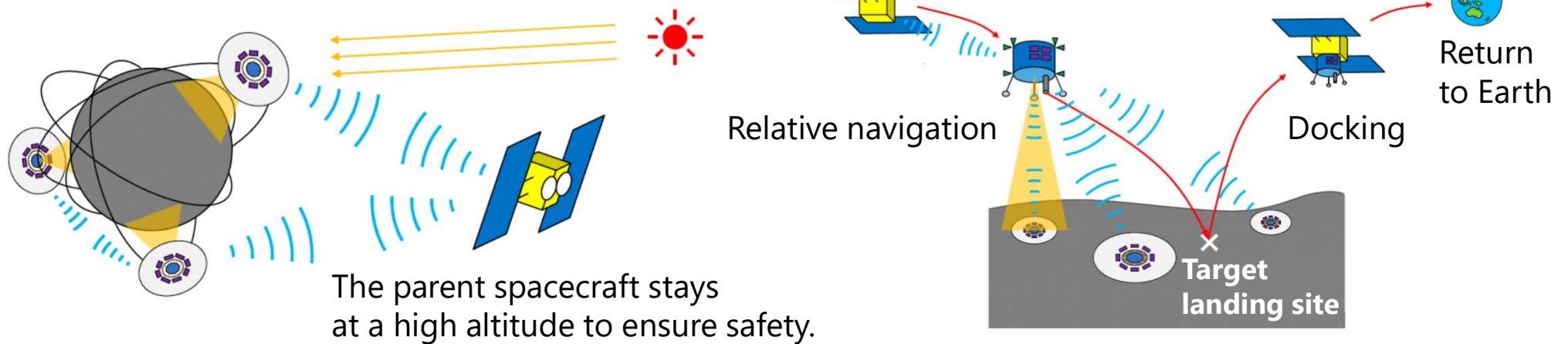
- A solar sail-like membrane is deployed.
- DTMs can be detected from a distant position because of the large area and reflective surface of the solar sail.
- In addition, DTMs make it possible to identify individuals by detecting optical patterns printed on the membrane surface.



# Next-Generation Small-Body Sample Return Mission

## **Advanced proposal: Active Flying Target Marker (AFTM)**

- ✓ Power generation using flexible solar arrays
- ✓ Intercommunication and relative navigation using RF sensors (phased-array antennas).
- ✓ SRP-based orbit maintenance and control.
- ✓ Deorbit through solar sailing to land on the ground.
- ✓ Use as optical and active markers to support the descent and landing of the parent spacecraft.



## **Application**

- ✓ High-resolution global mapping through observations in low-altitude orbits (reconnaissance satellite).
- ✓ Internal structure observation through ground penetrating radars.
- ✓ Seismometer.

# Coupled Orbit-Attitude-Structure Control

## Equation of motions

Equation of orbital motion (Hill three-body problem)

$$\ddot{x} - 2n\dot{y} - 3n^2x = -\mu \frac{x}{r^3} + a_x$$

$$\ddot{y} + 2n\dot{x} = -\mu \frac{y}{r^3} + a_y$$

$$\ddot{z} + n^2z = -\mu \frac{z}{r^3} + a_z$$

Euler's equation of motion for a spinning solar sail

$$\mathbf{I}\dot{\boldsymbol{\omega}} + \tilde{\boldsymbol{\omega}} \times \mathbf{I}\boldsymbol{\omega} = \mathbf{T}$$

⇒ Equation of motion of long-period attitude dynamics

$$\underline{\dot{\psi}} = \frac{T_x}{(I_s + I_b)\Omega} - \omega_s, \quad \underline{\dot{\phi}} = \frac{T_y}{(I_s + I_b)\Omega} \text{ Spin rate}$$

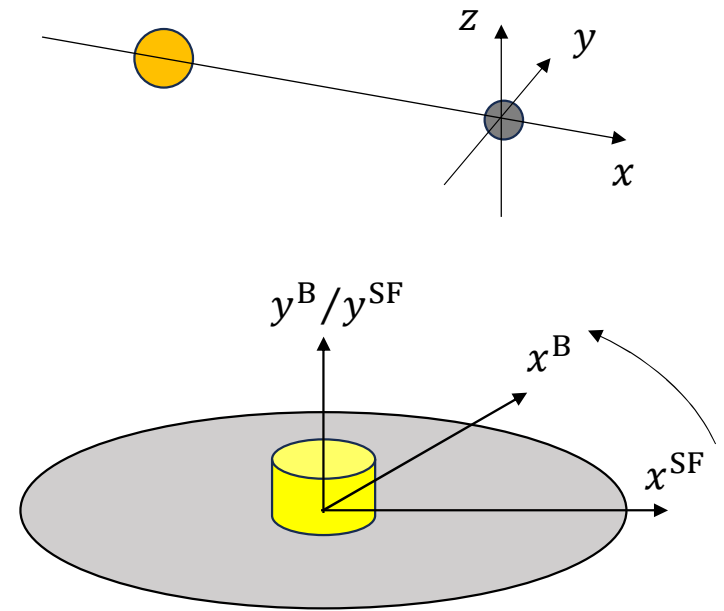
In-plane Sun angle

Out-of-plane Sun angle

Equation of motion of the sail deformation

$$\rho r \frac{\partial^2 w}{\partial t^2} = \frac{\partial}{\partial r} \left( \sigma_r \frac{\partial w}{\partial r} r \right) + \frac{\partial}{\partial \theta} \left( \sigma_\theta \frac{\partial w}{r \partial \theta} \right)$$

$$\Rightarrow w(r, \theta, t) = \sum_m A_m R_{mn}(r) \cos\{m(\theta + \Omega t) + \alpha_m\}$$



$\Sigma^B$ : Body-fixed frame

$\Sigma^{SF}$ : Spin-free frame



# Coupled Orbit-Attitude-Structure Control

## Orbit maintenance around small bodies

### Orbit control

The orbital motion is controlled so that the spacecraft tracks the reference orbit.

Linearized equation of motion:

$$\dot{\mathbf{x}} = \mathbf{A}\mathbf{x} + \mathbf{B}\mathbf{u}$$

Reference orbit:

$$\dot{\mathbf{x}}_r = \mathbf{A}\mathbf{x}_r$$

Deviation from the reference:

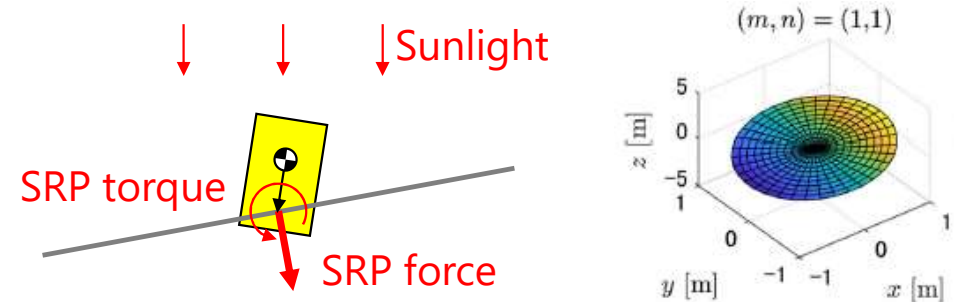
$$\dot{\mathbf{e}} = \mathbf{A}\mathbf{e} + \mathbf{B}\mathbf{u}$$

Feedback control using linear quadratic regulator (LQR):

$$\begin{aligned} \text{minimize } J &= \int_0^{\infty} (\mathbf{e}^T \mathbf{Q} \mathbf{e} + \mathbf{u}^T \mathbf{R} \mathbf{u}) dt \\ \Rightarrow \mathbf{u} &= \mathbf{K} \mathbf{e} = [\phi, \psi]^T \end{aligned}$$

### Attitude control

The 1st-order static wave is used for attitude control.



Controlled deformation:

$$w^1(r, \theta, t) = A_1 r \cos(\theta + \alpha_1)$$

SRP force and torque:

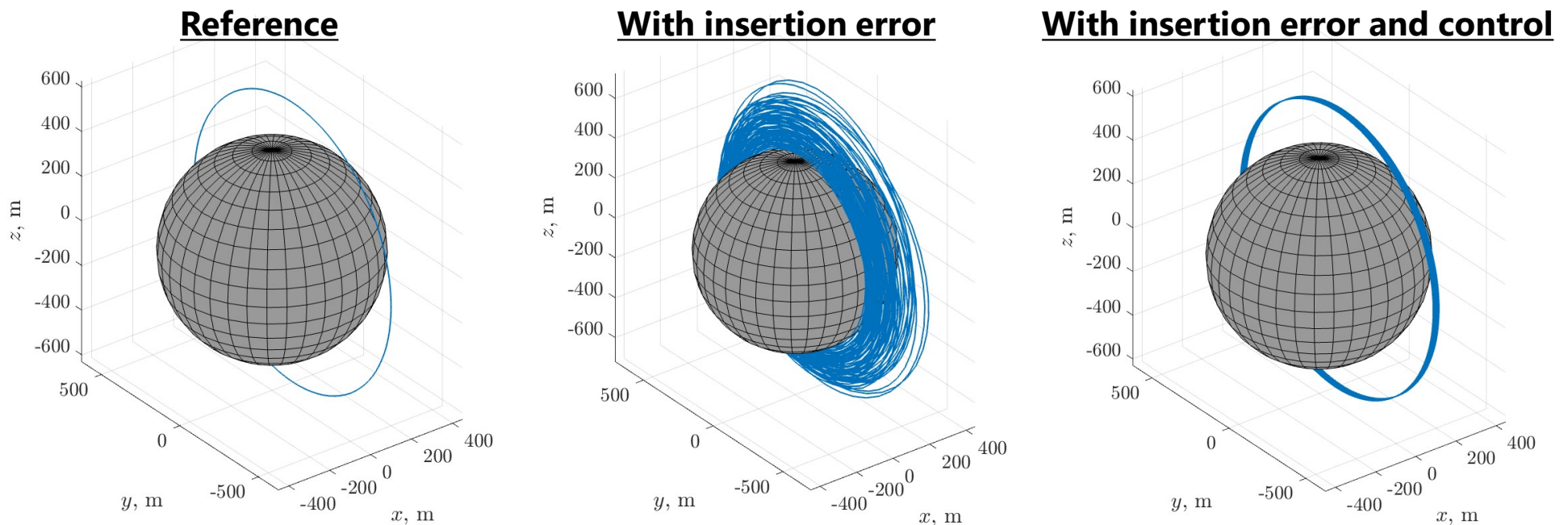
$$\mathbf{F} = \mathbf{F}(A_1, \alpha_1), \quad \mathbf{T} = \mathbf{T}(A_1, \alpha_1)$$

PD control is applied such that the target attitude is tracked.

## Coupled Orbit-Attitude-Structure Control

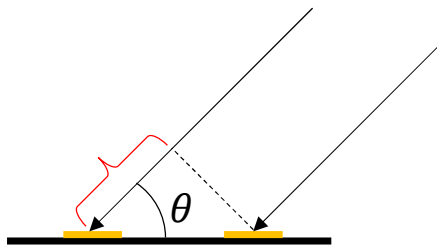
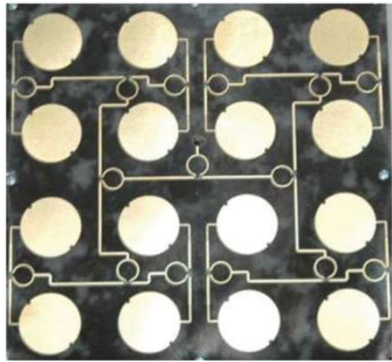
### Orbit maintenance around small bodies

- A terminator orbit is given as the reference (target) orbit.
- Although terminator orbits are known to be stable, the spacecraft may impact or escape from the small body if there is orbit insertion error.
- The target orbit can be maintained through solar sailing under active shape control.

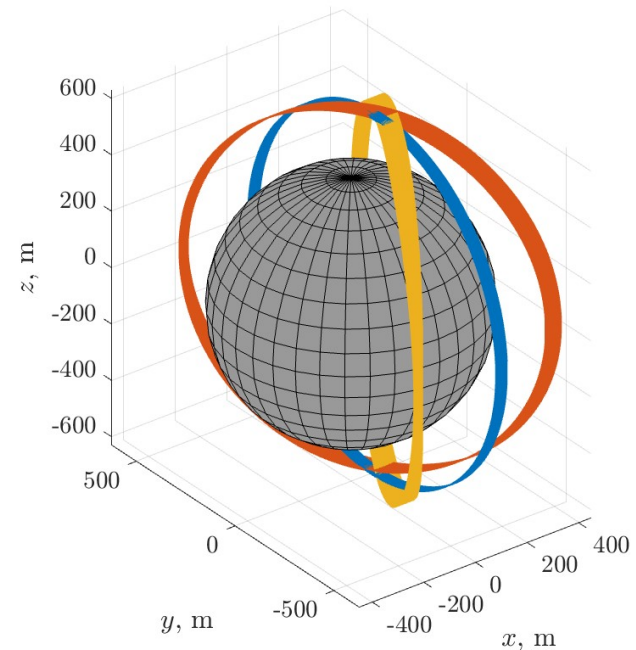


## Coupled Orbit-Attitude-Structure Control Constellation around small bodies

- Multiple AFTMs are deployed in different orbits around the small body.
- Phased-array antennas mounted on the AFTMs are used for relative navigation.
  - In addition to the range-and-range-rate (RARR) measurement, the RF sensors have the retrodirective function that observes the direction where the signal comes from.
  - The relative positions of the AFTMs can be estimated using extended Kalman filter.



Signal direction can be detected from the time difference of received signals for the antenna arrays.



## Summary

- Active shape control method for spinning solar sails was presented.
  - The proposed method excites vibrations to control the whole (continuous) shape of the membrane.
  - A hardware system assuming flight demonstration is under development.
- Active deformation can be applied to simultaneous orbit-attitude-structure control.
- A framework of constellation around small bodies using active flying target markers was proposed.
  - CubeSats equipped with solar sails are deployed in different orbits around the small body.
  - Advanced science such as high-resolution global mapping, internal structure measurements via ground penetrating radars, and seismometer can be realized.
  - A brief simulation was carried out to demonstrate the basic parts of the proposed idea.